## $\operatorname{GL}_n$ tensor product algebras and the Littlewood-Richardson rule

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The algebra of polynomial functions on the space of  $n \times (k + \ell)$ complex matrices carries an action by  $\operatorname{GL}_n \times \operatorname{GL}_k \times \operatorname{GL}_\ell$ . Its subalgebra of highest weight vectors can be used to study tensor products of  $\operatorname{GL}_n$ representations, so it is called a  $\operatorname{GL}_n$  tensor product algebra. In this talk, we will use this algebra and its variants to construct a proof of the the Littlewood-Richardson rule. This is joint work with Roger Howe.